DAML+OIL and Description Logic Reasoning

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The Semantic Web and DAML+OIL

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Description Logics and Reasoning

Reasoning techniques

Implementing DL systems

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Research Challenges

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Meanwhile, somewhere in darkest Europe...

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- Detailed specification agreed by Joint EU/US Committee on Agent Markup Languages
- Proposed W3C Ontology Language WG will take DAML+OIL as starting point (?)

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- Expressive power determined by
 - Kinds of axiom supported
 - Kinds of class (and property) constructor supported

DAML+OIL Overview: Class Constructors

Constructor	DL Syntax	Example
intersectionOf	$C_1 \sqcap \ldots \sqcap C_n$	Human ⊓ Male
unionOf	$C_1 \sqcup \ldots \sqcup C_n$	Doctor ⊔ Lawyer
complementOf	$\neg C$	¬Male
oneOf	$\{x_1 \dots x_n\}$	{john, mary}
toClass	$\forall P.C$	∀hasChild.Doctor
hasClass	$\exists P.C$	∃hasChild.Lawyer
hasValue	$\exists P.\{x\}$	∃citizenOf.{USA}
minCardinalityQ	$\geqslant nP.C$	≽2hasChild.Lawyer
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- XMLS datatypes as well as classes
- Arbitrarily complex nesting of constructors
 - E.g., ∀hasChild.(Doctor ⊔ ∃hasChild.Doctor)

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subClassOf	$C_1 \sqsubseteq C_2$	Human ⊑ Animal ⊓ Biped
sameClassAs	$C_1 \doteq C_2$	Man ≐ Human ⊓ Male
subPropertyOf	$P_1 \sqsubseteq P_2$	hasDaughter ⊑ hasChild
samePropertyAs	$P_1 \doteq P_2$	$cost \doteq price$
sameIndividualAs	$\{x_1\} \doteq \{x_2\}$	$\{President_Bush\} \doteq \{G_W_Bush\}$
disjointWith	$C_1 \sqsubseteq \neg C_2$	Male ⊑ ¬Female
differentIndividualFrom	$\{x_1\} \sqsubseteq \neg \{x_2\}$	$\{john\} \sqsubseteq \neg \{peter\}$
inverseOf	$P_1 \doteq P_2^-$	$hasChild \doteq hasParent^-$
transitiveProperty	$P^+ \sqsubseteq P$	ancestor $^+ \sqsubseteq$ ancestor
uniqueProperty	$\top \sqsubseteq \leqslant 1P$	$ op \sqsubseteq \leqslant 1$ hasMother
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Axioms (mostly) reducible to subClass/PropertyOf

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- SHIQ/DAML+OIL was not built in a day (or even a year)
 - SHIQ is based on 15+ years of DL research
- Can use DL reasoning with DAML+OIL
 - Existing \mathcal{SHIQ} implementations support (most of) DAML+OIL

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"The Semantic Web needs a logic on top" (Henry Thompson)

Set of operators/axioms restricted so that reasoning is decidable

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 - XML provides syntax transport layer
 - RDF provides basic relational language
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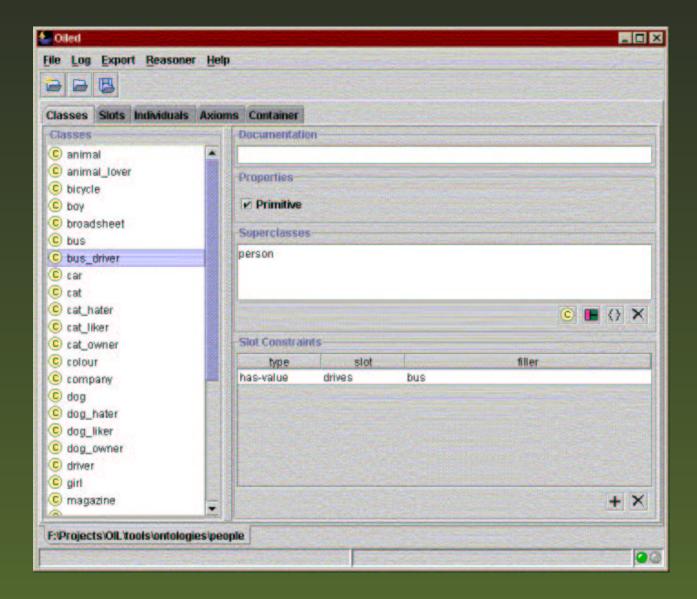
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- Facilitates provision of reasoning services
 - Known algorithms
 - Implemented systems
 - Evidence of empirical tractability

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 - Boolean connectives (□, □, ¬) and nesting
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 - Fake individuals
- Reasoning support provided by FaCT system
 - Ontology translated into SHIQ DL
 - Communicates with FaCT via CORBA interface
 - Indicates inconsistencies and implicit subsumptions

OilEd



Description Logics and Reasoning

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- Key features of DLs are
 - Well defined semantics (they are logics)
 - Provision of inference services

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Phase 3:

- Tableau algorithms for very expressive DLs
- Highly optimised tableau systems (FaCT, DLP, Racer)
- Relationship to modal logic and decidable fragments of FOL

Latest Developments

Phase 4:

Mature implementations

Latest Developments

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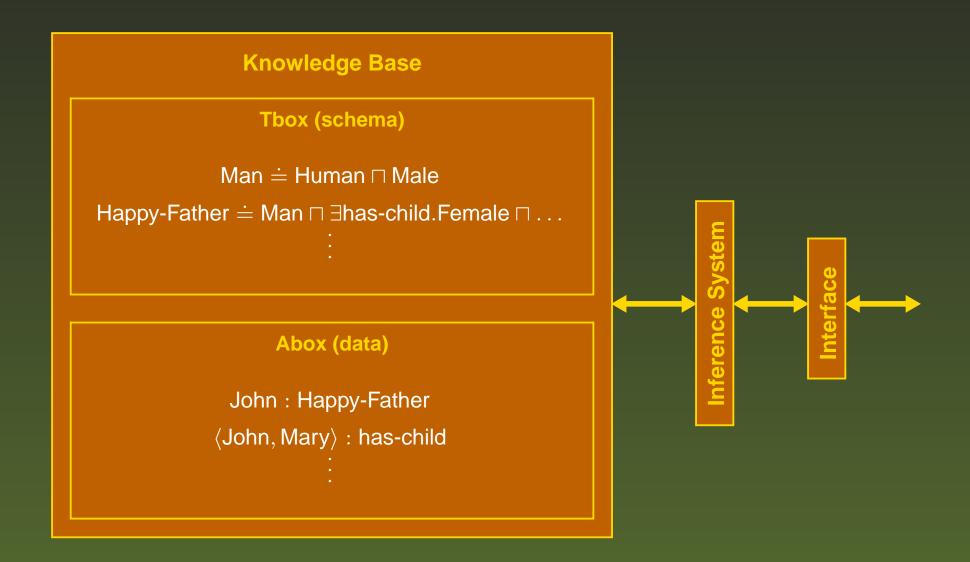
- Mature implementations
- Mainstream applications and Tools
 - Databases
 - Consistency of conceptual schemata
 - Schema integration
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- Commercial implementations
 - Cerebra system from Network Inference Ltd

DL System Architecture



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For example, concept Happy Father in ALC:

```
Man □ ∃has-child.Male □ ∃has-child.Female
```

 $\sqcap \quad \forall \mathsf{has}\text{-}\mathsf{child}.(\mathsf{Doctor} \sqcup \mathsf{Lawyer})$

DL Syntax and Semantics

Semantics given by interpretation $\mathcal{I} = (\Delta^{\mathcal{I}}, \cdot^{\mathcal{I}})$

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value restr.

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 $\forall R.C$

Constructor	Syntax	Example	Semantics		
atomic concept	A	Human	$A^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}}$		
atomic role	R	has-child	$R^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}} \times \Delta^{\mathcal{I}}$		
and for C , D concepts and R a role name					
conjunction	$C\sqcap D$	Human ⊓ Male	$C^{\mathcal{I}} \cap D^{\mathcal{I}}$		
disjunction	$C \sqcup D$	Doctor ⊔ Lawyer	$C^{\mathcal{I}} \cup D^{\mathcal{I}}$		
negation	$\neg C$	⊣Male	$\Delta^{\mathcal{I}} \setminus C$		
exists restr.	$\exists R.C$	∃has-child.Male	$\{x \mid \exists y. \langle x, y \rangle \in R^{\mathcal{I}} \land y \in C^{\mathcal{I}}\}$		

 \forall has-child.Doctor $\mid \{x \mid \forall y. \langle x, y \rangle \in R^{\mathcal{I}} \implies y \in C^{\mathcal{I}} \}$

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number restr.	$\geqslant nR$	≽3 has-child	$ \{x \mid \{y.\langle x, y\rangle \in R^{\mathcal{I}}\} \geqslant n\} $
	$\leqslant nR$	\leqslant 1 has-mother	$ \{x \mid \{y.\langle x,y\rangle \in R^{\mathcal{I}}\} \leqslant n\} $
inverse role	R^{-}	has-child ⁻	$\{\langle x, y \rangle \mid \langle y, x \rangle \in R^{\mathcal{I}}\}$
trans. role	R^*	has-child*	$(R^{\mathcal{I}})^*$
concrete domain	$f_1,\ldots,f_n.P$	earns spends <	$\{x \mid P(f_1^{\mathcal{I}}, \dots, f_n^{\mathcal{I}})\}$

:

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Definition axioms introduce macros/names for concepts

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An interpretation \mathcal{I} satisfies

$$C \doteq D \quad \text{iff} \quad C^{\mathcal{I}} = D^{\mathcal{I}} \qquad C \sqsubseteq D \quad \text{iff} \quad C^{\mathcal{I}} \subseteq D^{\mathcal{I}}$$

A **Tbox** \mathcal{T} iff it satisfies every axiom in \mathcal{T} ($\mathcal{I} \models \mathcal{T}$)

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An Abox \mathcal{A} iff it satisfies every axiom in \mathcal{A} ($\mathcal{I} \models \mathcal{A}$)

A KB $\Sigma = \langle \mathcal{T}, \mathcal{A} \rangle$ iff it satisfies both \mathcal{T} and \mathcal{A} ($\mathcal{I} \models \Sigma$)

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Problems are closely related:

$$C \sqsubseteq_{\mathcal{T}} D$$
 iff $C \sqcap \neg D$ is inconsistent w.r.t. \mathcal{T}

C is consistent w.r.t. \mathcal{T} iff $C \not\sqsubseteq_{\mathcal{T}} A \sqcap \neg A$

Reasoning Techniques

Subsumption transformed into satisfiability

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Tableaux algorithm used to test satisfiability

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 - ullet Nodes in ${f T}$ correspond to individuals in model
 - Nodes labeled with sets of subconcepts of C
 - Edges labeled with role names in C

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Subsumption transformed into satisfiability

Tableaux algorithm used to test satisfiability

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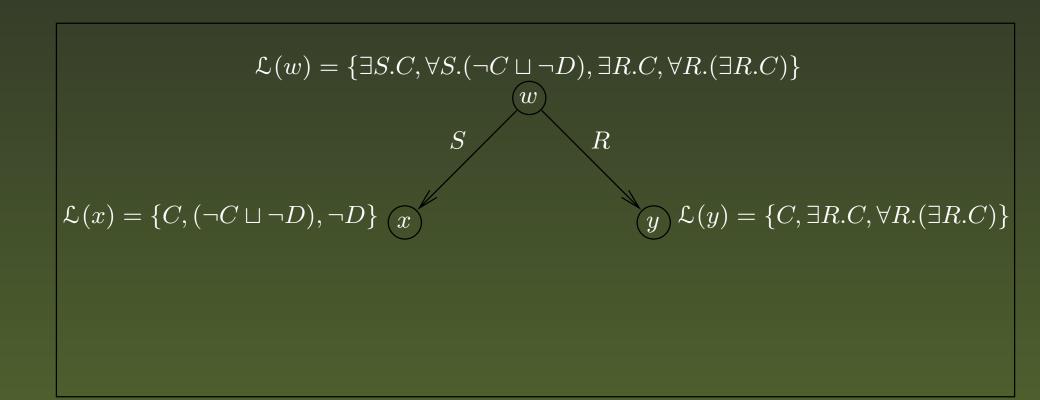
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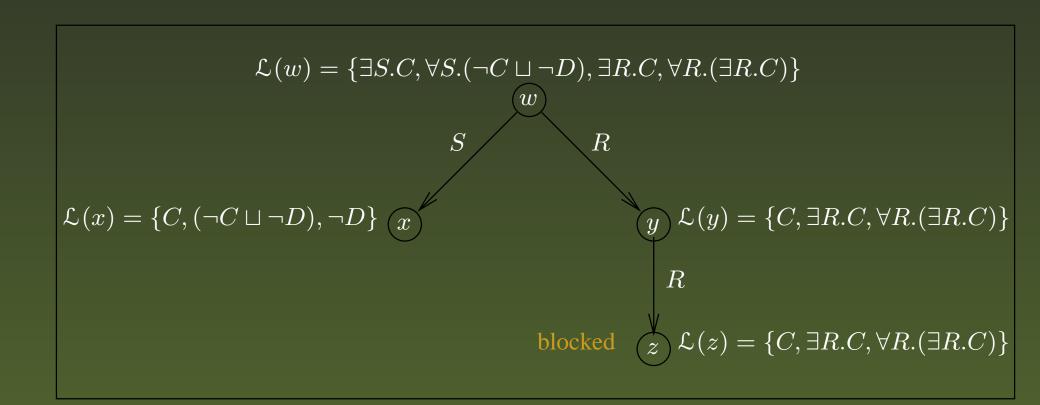
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Concept is satisfiable: w is a witness

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Implementing DL Systems



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 - → Careful choice of algorithm
 - **→** Highly optimised implementation

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 - Heuristic ordering of propositional and modal expansion

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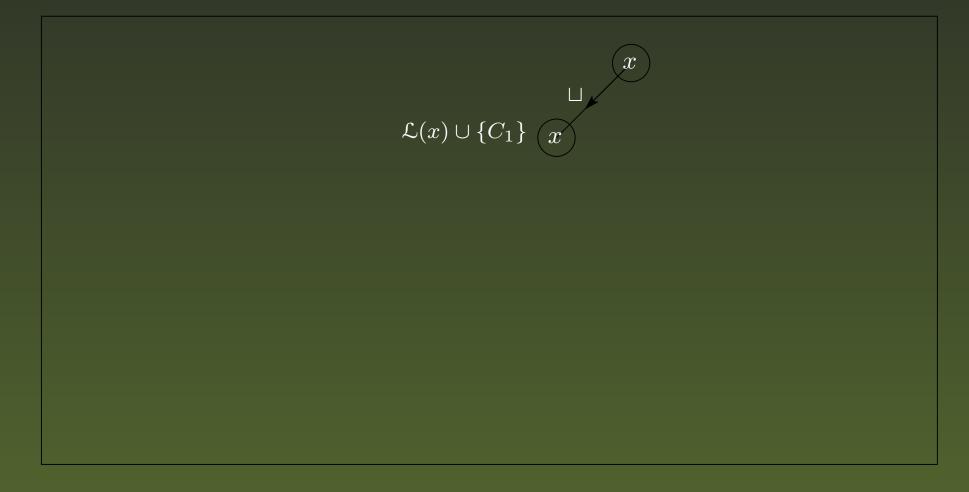
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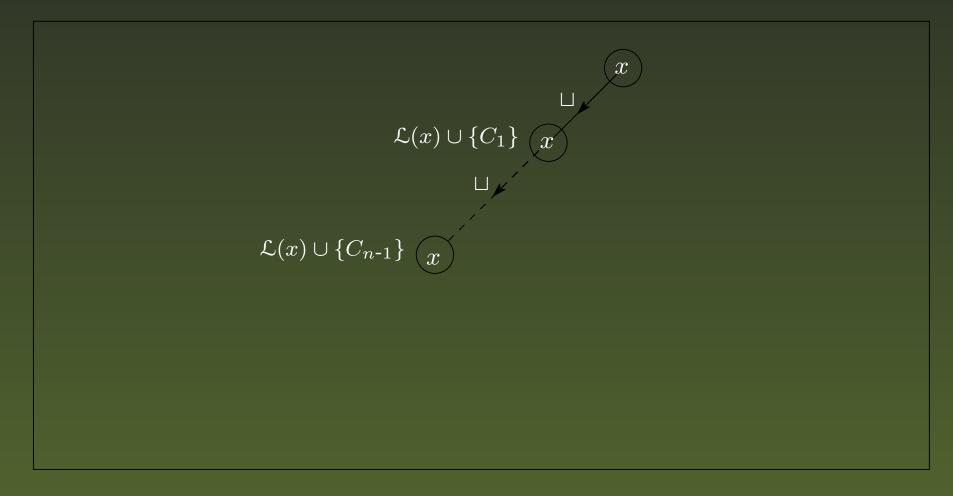
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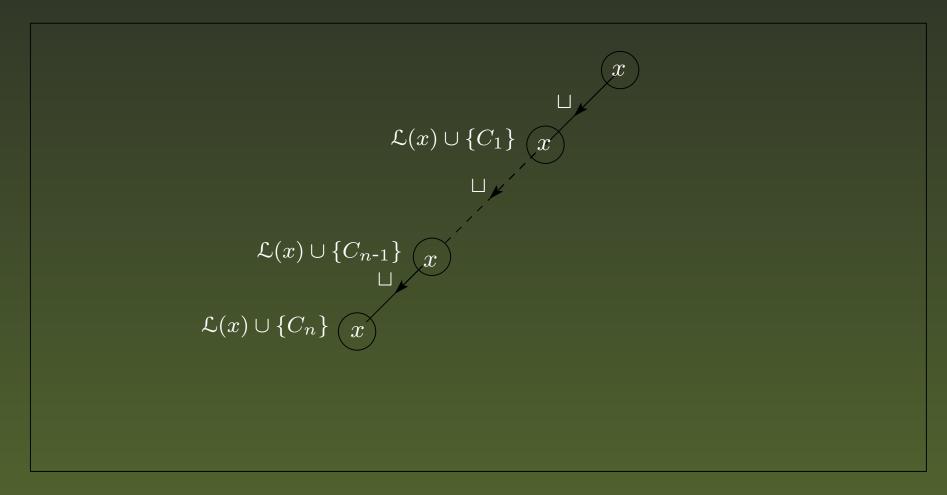
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- Highly effective essential for usable system
 - E.g., GALEN KB, 30s (with) → months++ (without)







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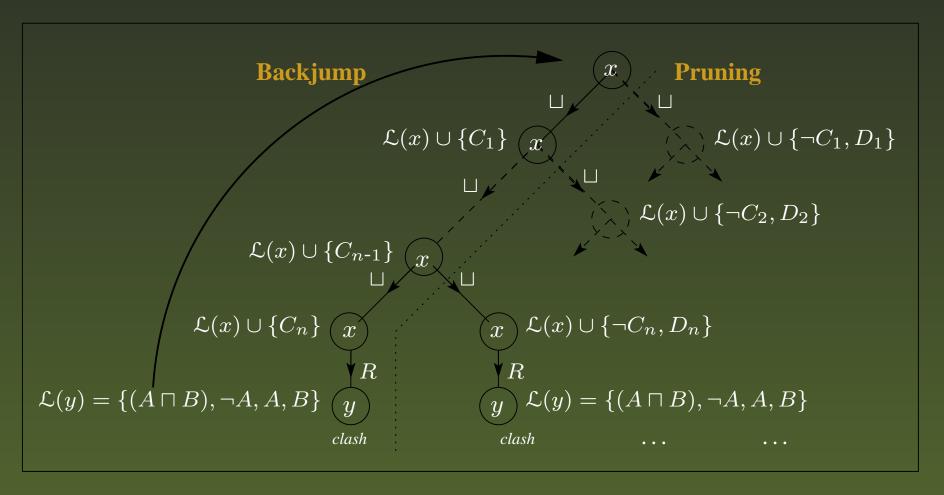
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- Already seeing some (limited) implementations
 - E.g., Cerebra system (Network Inference)

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- Relatively straightforward (in theory) without inverse roles
 - Algorithm for $\mathcal{SHOQ}(\mathbf{D})$ deals with nominals
 - Practical implementation still to be demonstrated

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- How can reasoners be developed/adapted for extended languages
 - Some existing work on language fusions and hybrid reasoners

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 - Deployment of web ontologies will mean reasoning with (possibly very large numbers of) individuals
 - Unlikely that standard Abox techniques will be able to cope

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- Reasoning with very large KBs
 - DL systems shown to work with ≈100k concept KB [Haarslev & Möller]
 - But KB only exploited small part of DL language

Tools and infrastructure required in order support use of DAML+OIL

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New Reasoning Tasks

Querying

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- Still many challenges for DL and Semantic Web research
 - Expressive power
 - Performance
 - Tools and infrastructure
 - New reasoning tasks

Resources

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Slides from this talk
 www.cs.man.ac.uk/~horrocks/Slides/hp-labs.pdf
FaCT system
 www.cs.man.ac.uk/fact
OIL
 www.ontoknowledge.org/oil/
DAML+OIL
 www.daml.org/language/
OilEd
 img.cs.man.ac.uk/oil
I.COM
 www.cs.man.ac.uk/~franconi/icom/
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