

# Simplified Preference Elicitation

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## Preference elicitation

Help people make decisions in complex settings

Examples:

- Whether to install solar panels
  - Revenue from panels is dependent on amount of sunlight; a wet summer may result in low revenue
  - If the solar panels are bought using a loan, a loss risk averse homeowner would be especially sensitive to months where the solar panel revenue does not cover the loan payment



- Whether to buy an electric car
  - An electric car has a higher upfront cost than an equivalent petrol or diesel car
  - The benefit of an electric car is a long term savings in refilling cost and CO<sub>2</sub> emissions
  - Are the future benefits worth the upfront costs?



## Standard Approach in Preference Elicitation

Standard Model

- Each decision,  $d$ , is represented by a probability distribution over a set of outcomes.
- Each outcome is represented by a range of possible utility values, e.g.  $u^{min} < u(x) < u^{max}(x)$ , and a probability distribution,  $P(u)$ , over that range
- We recommend the decision which maximizes the expected utility (EEU) (Chajewska, Koller and Parr, 2000)

$$EEU(d, P) = \int_u EU(d, u)P(u) du$$

## Improving Recommendations

To improve the EEU, the standard approach to refine the range of utility values is to ask the user a standard gamble query (SGQ):

“Would you prefer a guaranteed outcome  $x$  or a gamble where, with probability  $p$ , you will receive the best possible outcome, and otherwise, you will receive the worst possible outcome?”

If the user prefers the guaranteed outcome, then  $u(x) > p$ , and otherwise,  $u(x) < p$ .

Unfortunately, SGQs pose a high cognitive burden on the user.

Thus, we have developed a new approach based on modeling users with the utility function (Tversky and Kahneman, 1992)

$$u(x) = \begin{cases} x^r & \text{if } x \geq 0 \\ -s|x|^r & \text{otherwise} \end{cases}$$

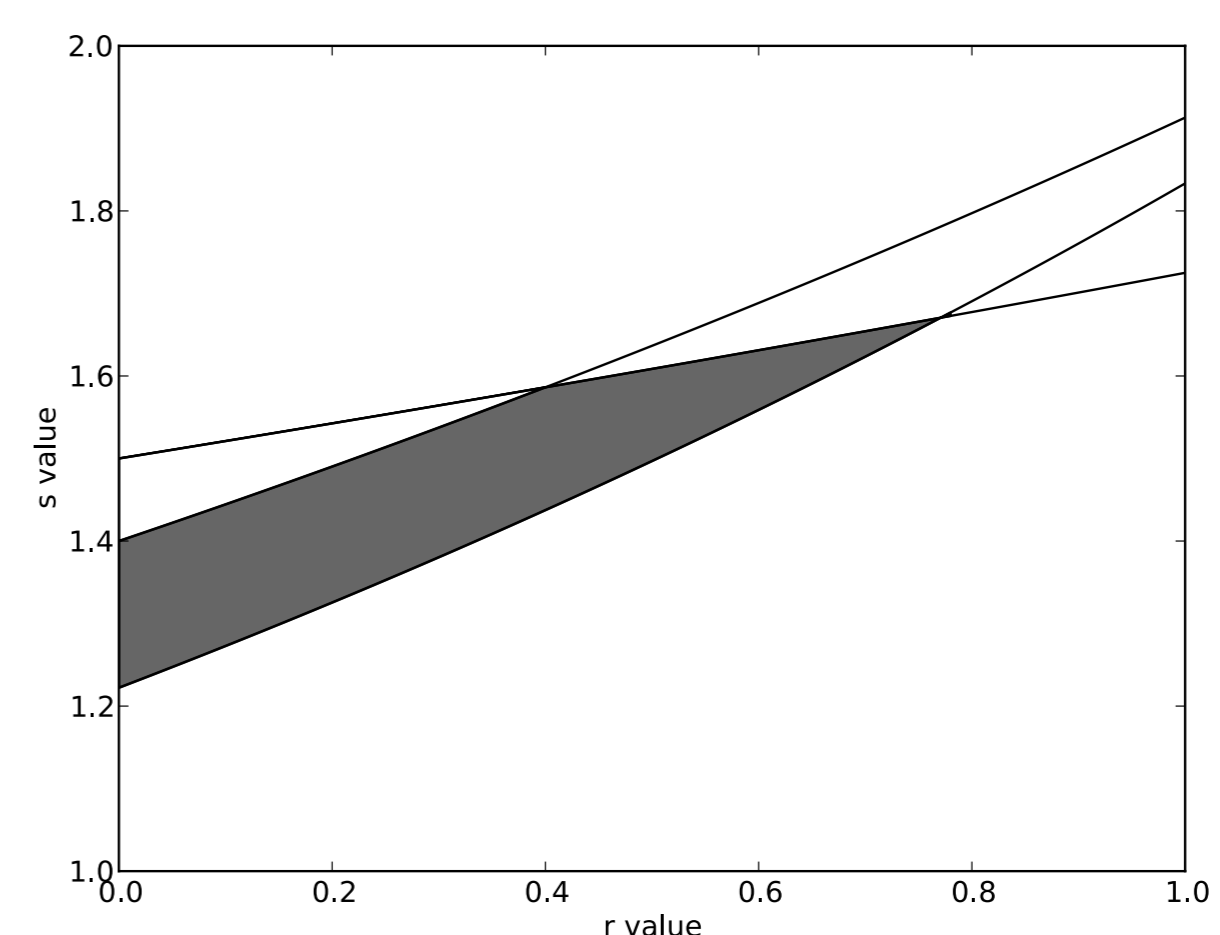
where  $r$  measures how risk averse the user is and  $s$  measures how loss averse they are.

We then ask the user,

“Would you accept a gamble with a probability  $p$  of winning  $\$x$ , and otherwise losing  $\$y$ ?”

## A Graphical Interpretation

An indifference curve (IC) gives all values of  $(r, s)$  for which the user would be indifferent towards the proposed gamble.



If the user accepts the gamble, we reject all  $(r, s)$  above the IC and otherwise, we reject all  $(r, s)$  below the IC. We then calculate the EEU assuming all remaining  $(r, s)$  values are equally likely to be correct.

## Future Work

Human experiments – possibly with Amazon Mechanical Turk  
Research into optimizing query parameters